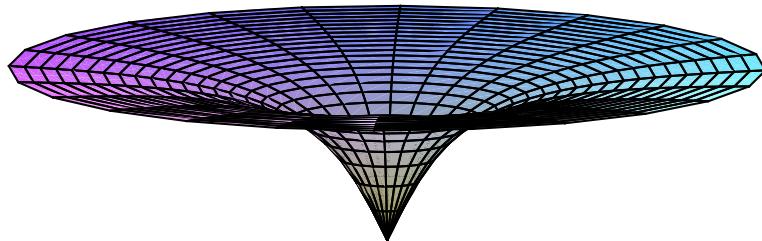


```

> restart;
f := r->arctan(r);
x := r*cos(theta);
y := r*sin(theta);
z := f(r);
plot3d([x, y, z], r = 0 .. 2*Pi, theta = 0 .. 2*Pi);
f:= r → arctan(r)
x:= r cos(θ)
y:= r sin(θ)
z:= arctan(r)

```

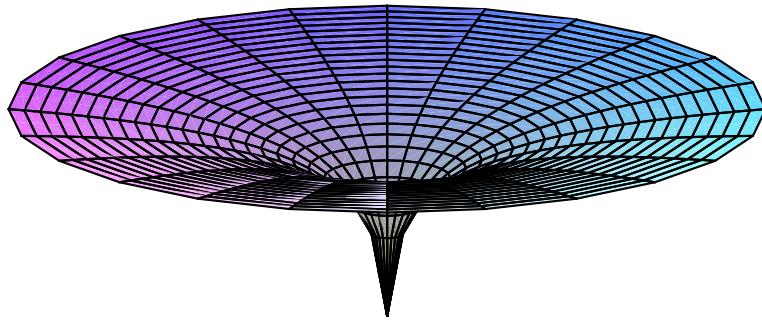


```

> restart;
V := int(Pi*tan(y)^2, y = 0 .. arctan(2*Pi));
W := int(2*Pi*(arctan(2*Pi)-arctan(x))*x, x = 0 .. 2*Pi);
V:= 2 π2 - π arctan(2 π)
W:= 2 π2 - π arctan(2 π)

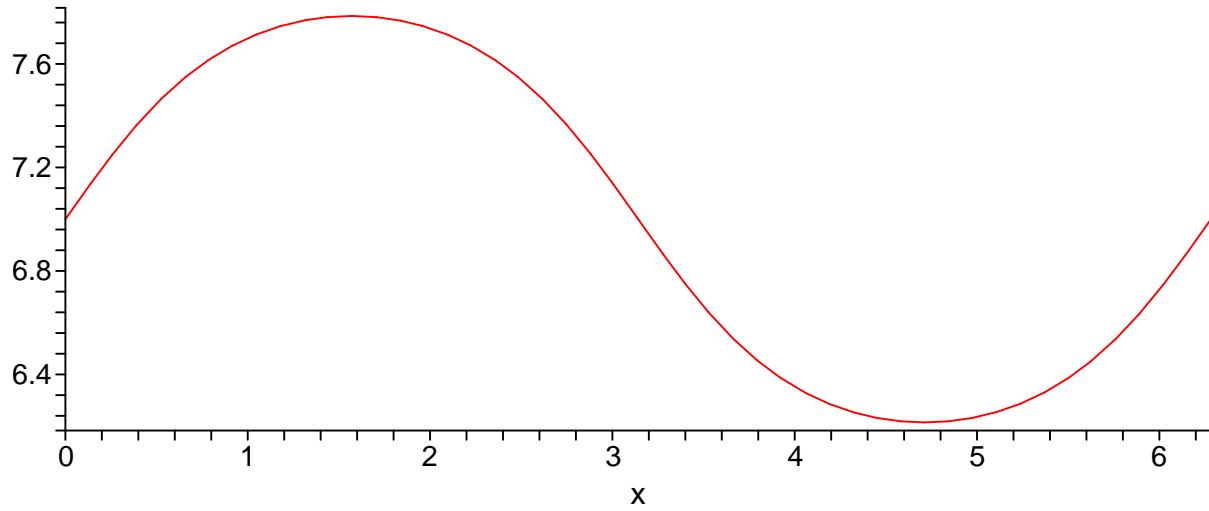
> restart;
f := r->arctan(sqrt(r));
x := r*cos(theta);
y := r*sin(theta);
z := f(r);
plot3d([x, y, z], r = 0 .. 2*Pi, theta = 0 .. 2*Pi);
f:= r → arctan(√r)
x:= r cos(θ)
y:= r sin(θ)
z:= arctan(√r)

```

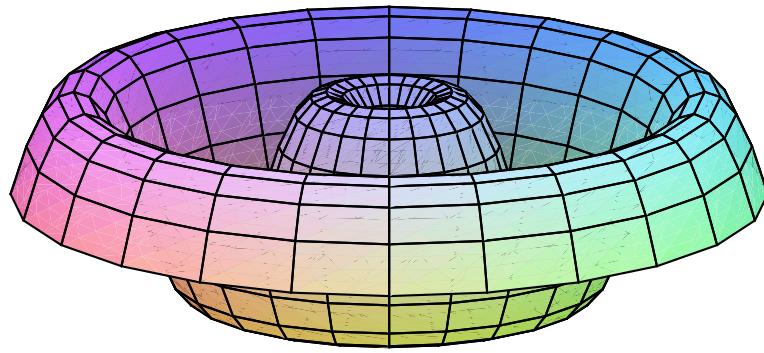


```
> restart;
V:=int(Pi*tan(y)^4, y = 0 .. arctan(sqrt(2*Pi)));
W:=int(2*Pi*(arctan(sqrt(2*Pi))-arctan(sqrt(x)))*x, x = 0 .. 2*Pi);
V :=  $\frac{2}{3} \pi^{(5/2)} \sqrt{2} - \sqrt{2} \pi^{(3/2)} + \pi \arctan(\sqrt{2} \sqrt{\pi})$ 
W :=  $\frac{2}{3} \pi^{(5/2)} \sqrt{2} - \sqrt{2} \pi^{(3/2)} + \pi \arctan(\sqrt{2} \sqrt{\pi})$ 

> restart;
simplify(arctan(sin(x)));
plot(7+arctan(sin(x)), x = 0 .. 2*Pi);
arctan(sin(x))
```



```
> restart;
f := r->arctan(sin(r));
x := r*cos(theta);
y := r*sin(theta);
z := f(r);
plot3d([x, y, z], r = 0 .. 3*Pi, theta = 0 .. 2*Pi);
f:= r → arctan(sin(r))
x:= r cos(θ)
y:= r sin(θ)
z:= arctan(sin(r))
```



```
> restart;
V := int(2*Pi*(7+arctan(sin(x)))*x, x = 0 .. 3*Pi);
evalf(V);
Digits := 40;
evalf(V);


$$V := \int_0^{3\pi} 2\pi (7 + \arctan(\sin(x))) x \, dx$$

2003.451549
Digits:= 40
2003.451548630204032456434285911341659534
```

>